

MOA 2010-BLG-477Lb

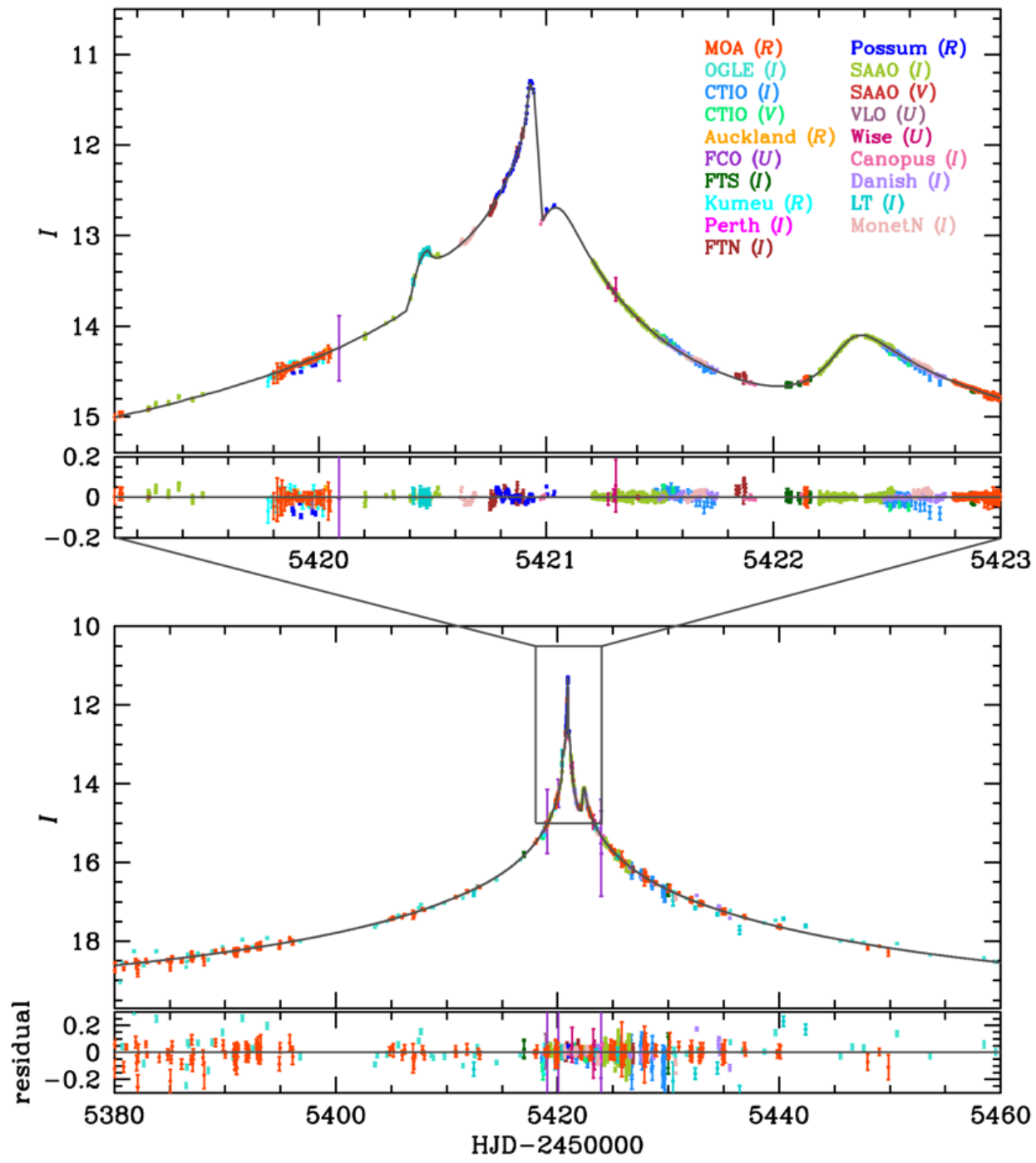
From planet detection to mass determination

Observations

- MOA August 2, 2010 (HJD'=5410.9)
- OGLE
- high magnification candidate
- follow-up: PLANET, μ FUN, RoboNet, MiNDSTEp: >20 telescopes (\supset ASTEP Dome C)
- low-res spectrum at DuPont 2.5m
- IRSF and CTIO 2011

Image reduction

- off-line reduction with pySIS (image subtraction using numerical kernel) for 7 telescopes
- $A_{\max} = 400$
- 2 spikes (5420.4, 5420.9), 2 bumps (5421.0, 5422.4)

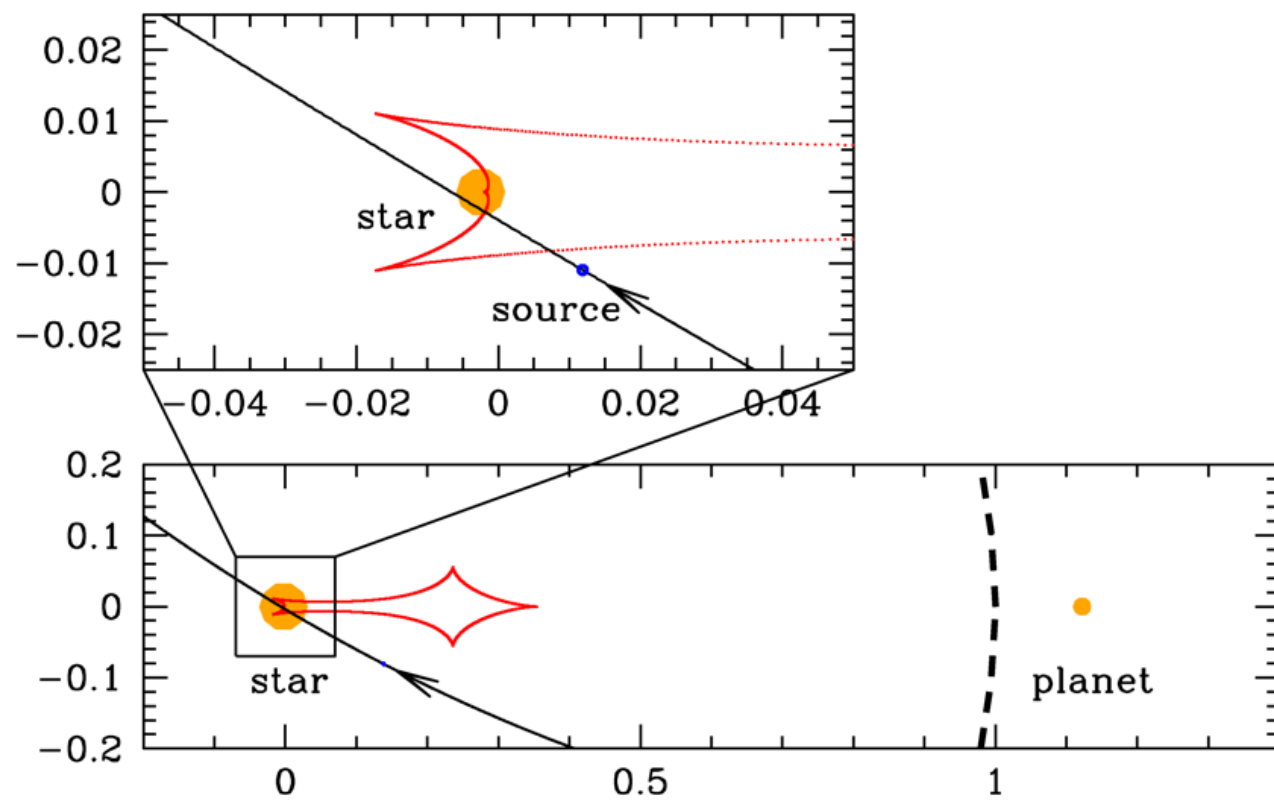


Strategy for M

- Equations: $\theta_E^2 = \kappa \pi_{\text{rel}} M$ $\pi_E^2 = \frac{\pi_{\text{rel}}}{\kappa M}$
- As θ_E is well-determined, but not π_E , M cannot be well measured
- θ_E is large, so either M large or D_L small; both imply bright lens, but no detection; this gives upper limits both to M and D_L
- An upper limit on π_E provides lower limits on lens mass and distance

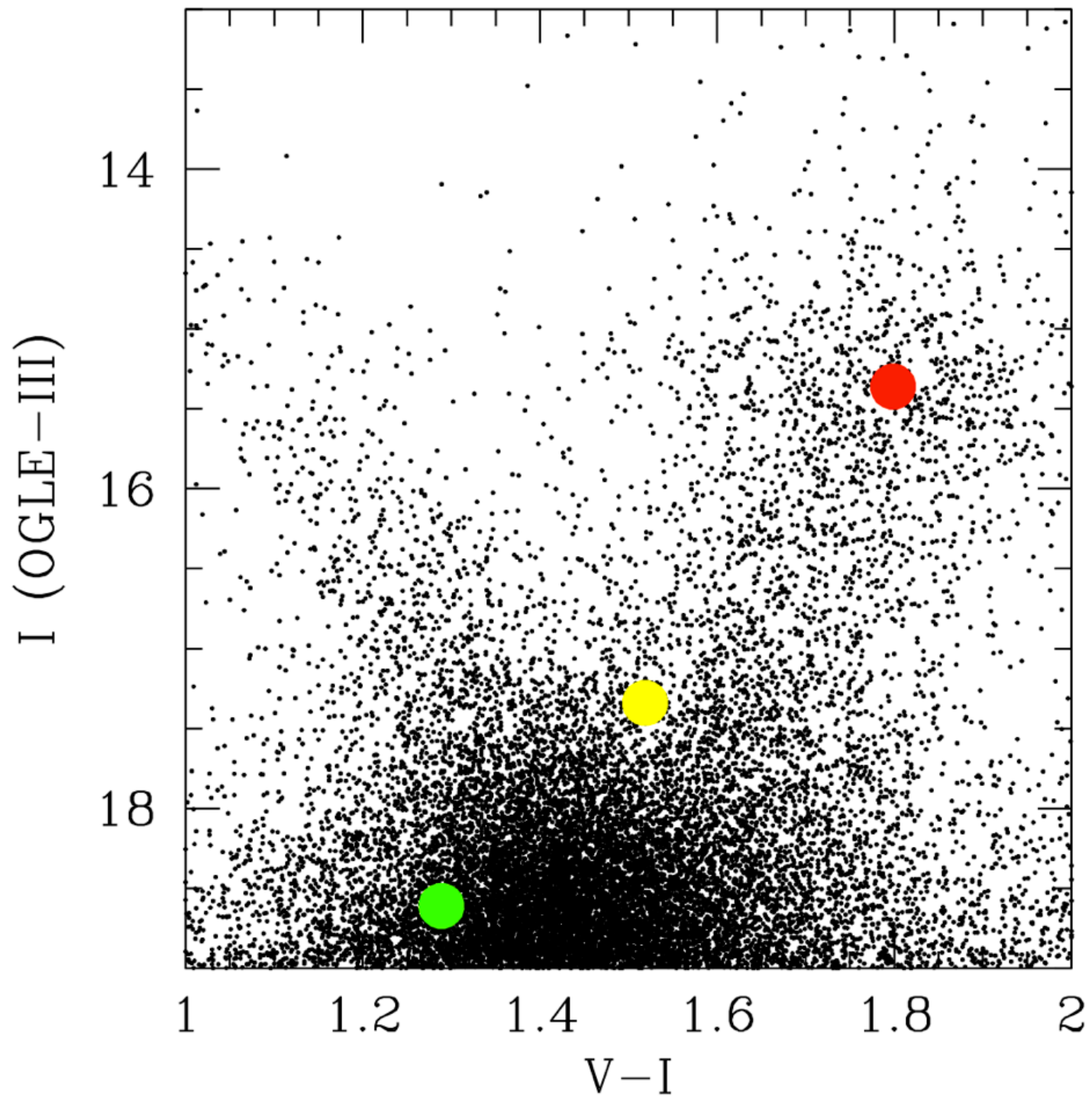
Modeling

- Importance of a correct assessment of photometric errors: rescaling scheme
- Finite-source effect and limb darkening
- Static binary model: first step: grid search (s, q, α) + downhill χ^2 minimization (MCMC)
- Result: only one minimum: $s=1.12$, $q=0.0024$
- Second step: MCMC for all 7 parameters
- Second-order effects: microlensing parallax and orbital motion



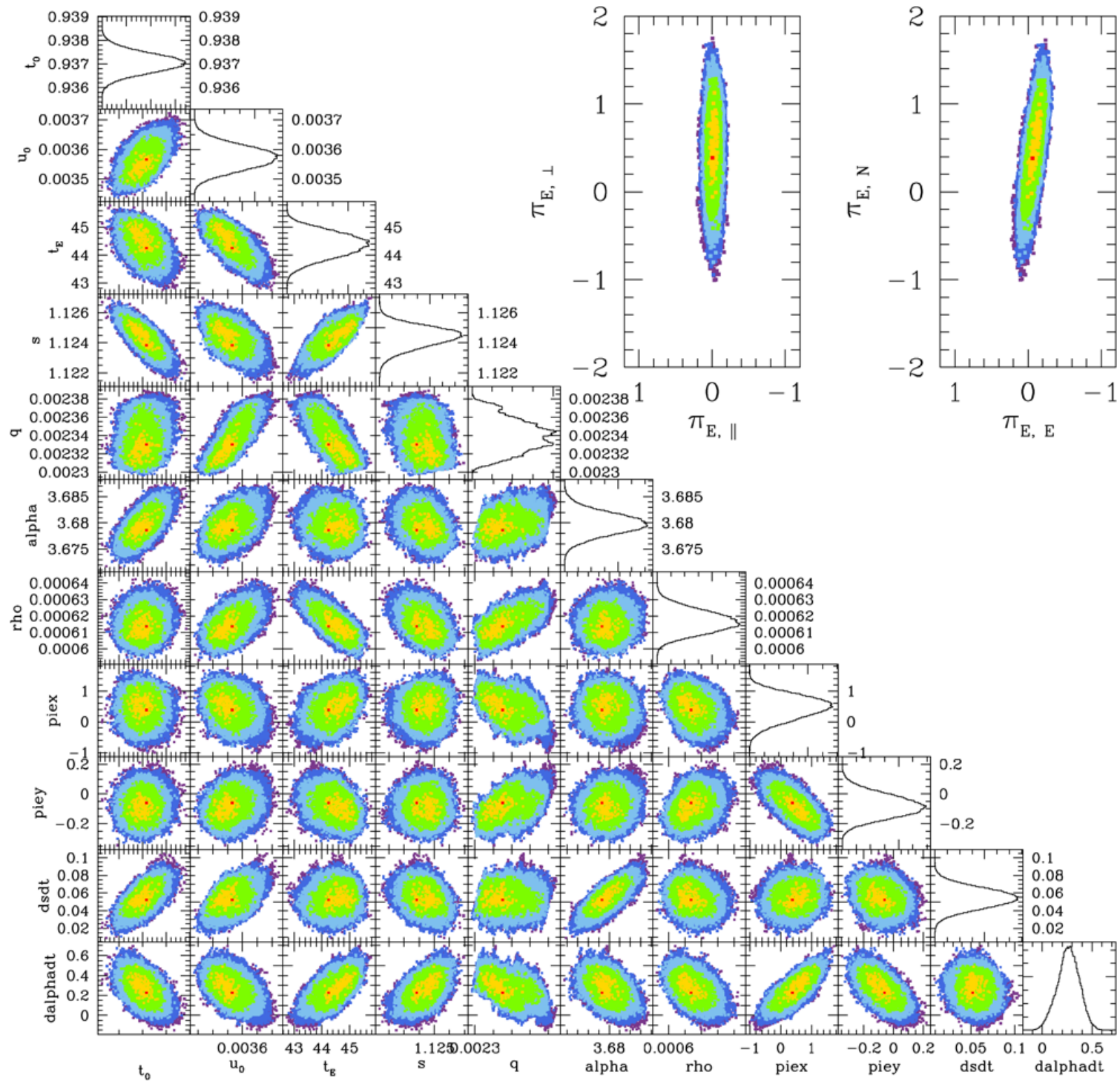
Measurement of θ_E

- spectrum: $T_{\text{eff}} = 5950 \pm 150$ K, $\log g = 4.0$ assuming solar metallicity; corresponds to $(V-I)_0 = 0.65 \pm 0.04$
- red clump method: $(V-I)_0 = 0.55 \pm 0.05$
- surface-brightness method then gives angular source radius: $\theta_* = 0.79 \pm 0.06$ μas
- model gives $\rho_* = 5.76 (3) 10^{-4}$
- so $\theta_E = 1.38 \pm 0.11$ mas and $M_{\pi_{\text{rel}}} = 0.233 \pm 0.036$



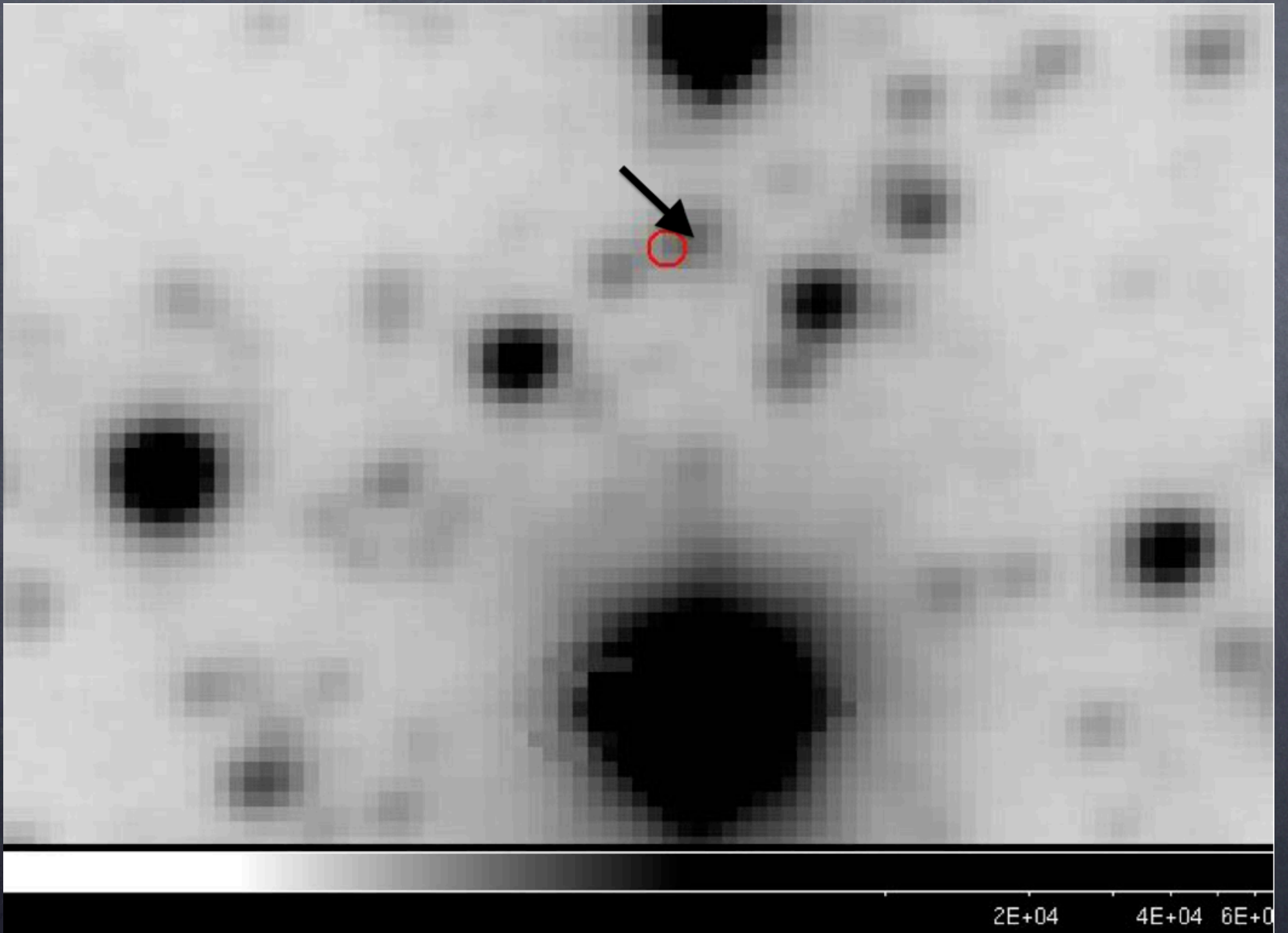
Parallax and orbital motion

- Two independent modeling efforts: ours: ω , ds/dt and posterior check of bound orbit, vs. Bennett (circular orbit of period T_{orb})
- Post-bayesian analysis from raw MCMC adding Galactic model and Keplerian constraints



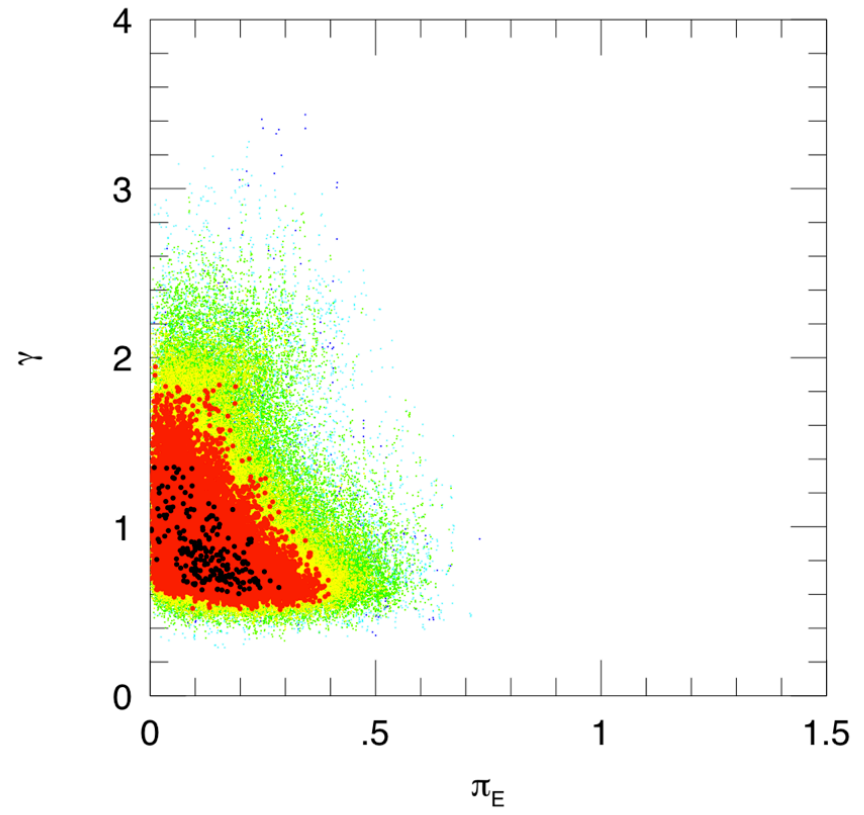
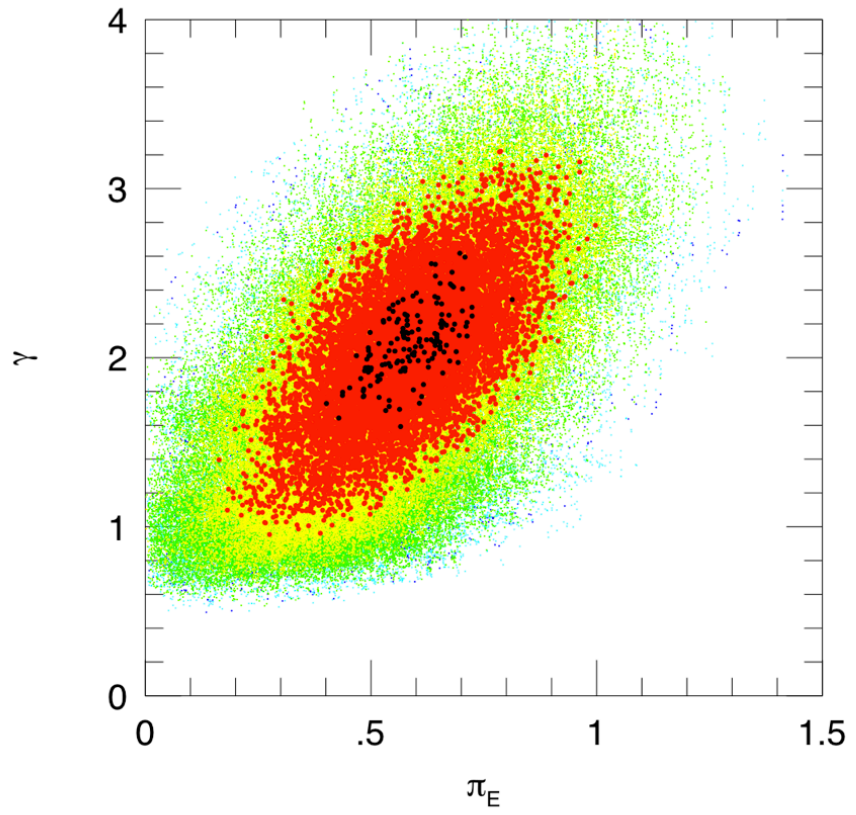
Lens flux limits

- measured blend corresponds exactly to an OGLE-III star: $I=17.446\pm 0.052$ vs. $I_b=17.443\pm 0.031$: no contribution from lens
- analysis of good-seeing OGLE-III images spanning 3.3 yr shows no residual at target position: given the large relative proper motion (10.3 ± 0.8 mas/yr), this again proves the faintness of the lens
- conclusion: $M < 1 M_{\text{sun}}$, so $D_L < 2.8$ kpc



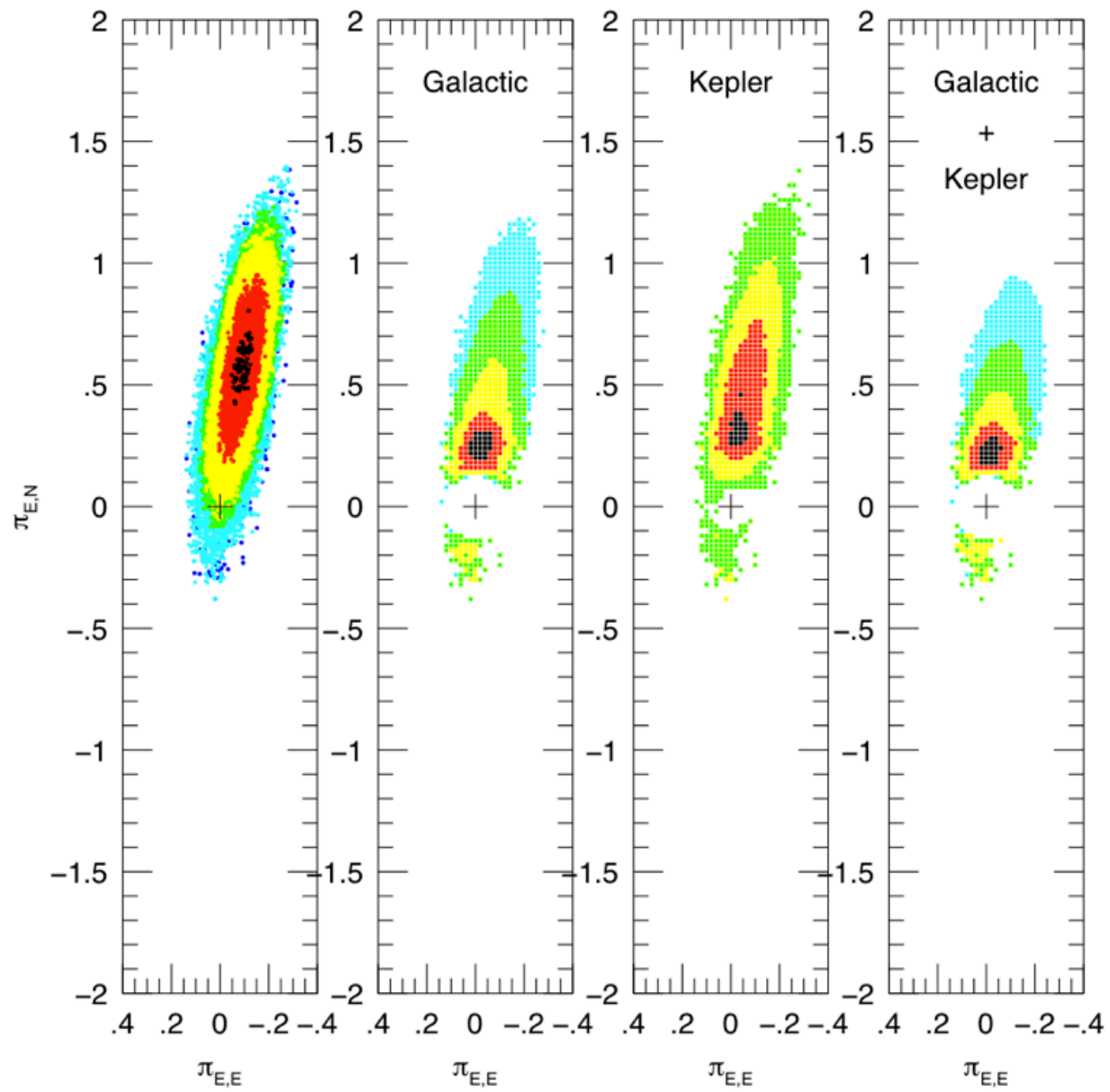
Constraints from parallax

- parallax-only model improves χ^2 by 8.6 only
- parallax and orbital motion model improves it by 54.4: second-order effects are detected
- confirmed by differences between $u_0 > 0$ and $u_0 < 0$ solutions
- but difficult to disentangle: degeneracy $\pi_{E, \text{perp}}$ and ω : both correspond to a trajectory curvature
- lightcurve excludes $\pi_E > 1.3$, so $M > 0.13 M_{\text{sun}}$ and $D_L > 0.5 \text{ kpc}$



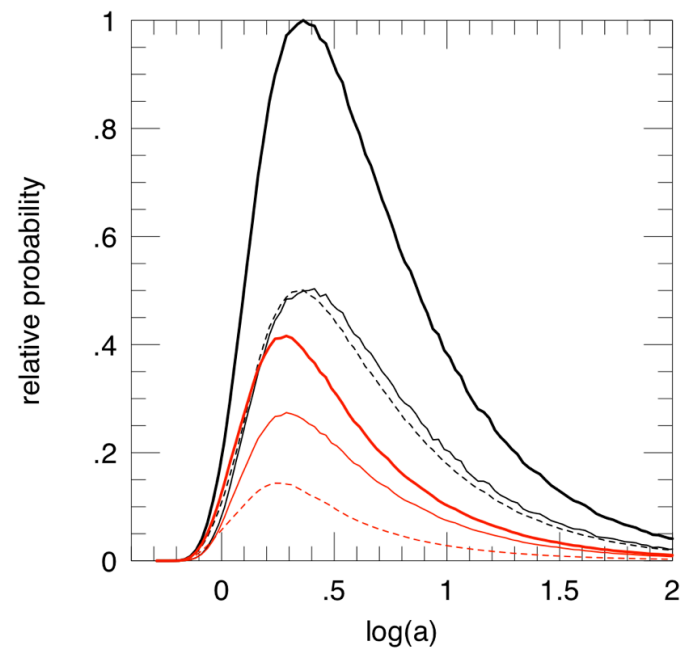
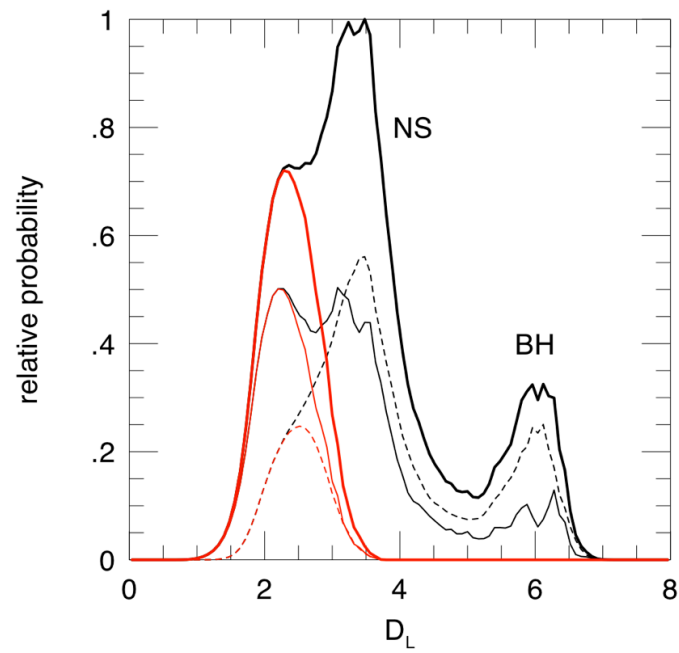
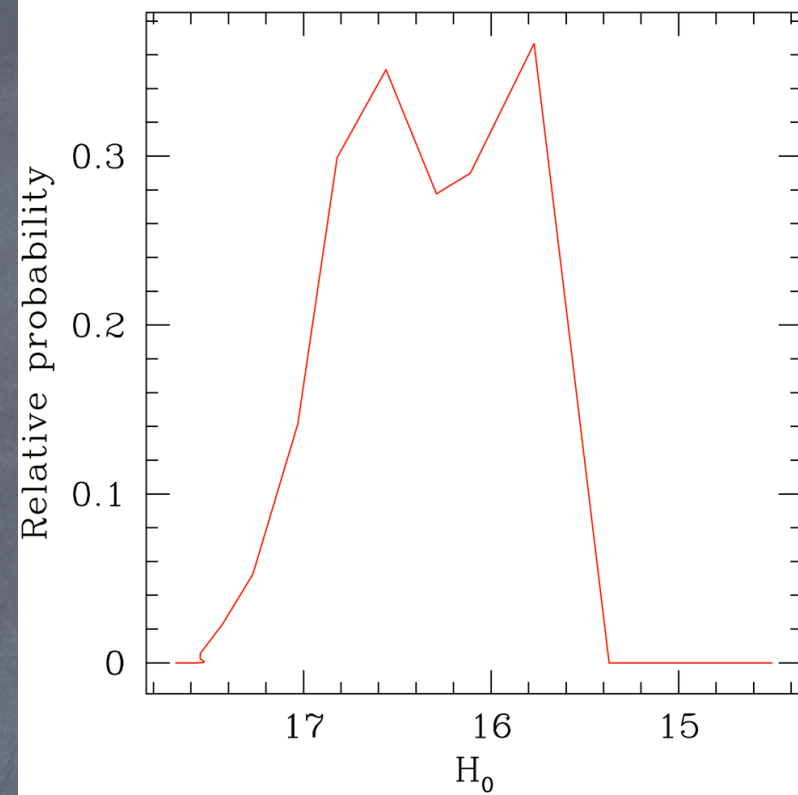
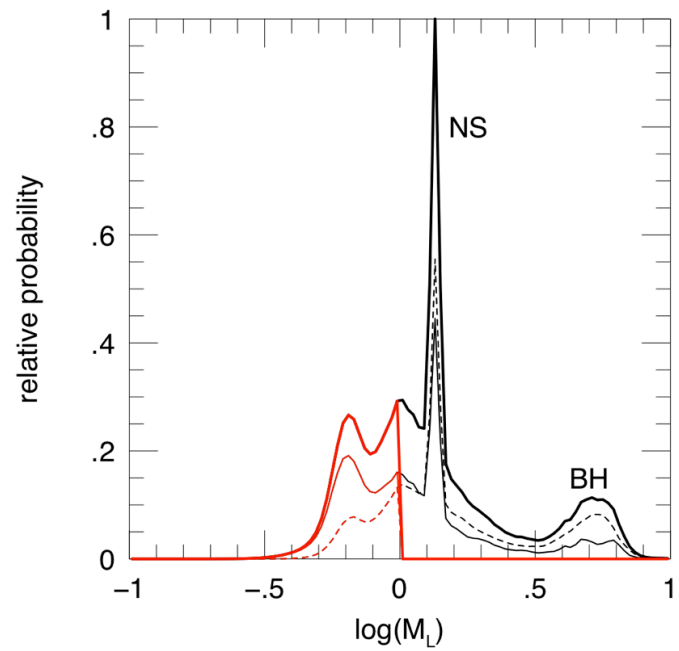
Post-bayesian analysis

- Galactic model, Jacobian transformations and Keplerian constraints as used in Batista et al. (2011)
- Independently favor large lens mass and distance, but must remain compatible with lens flux limits



Conclusions

- mass distribution peaks at $M_L=0.67^{+0.33}_{-0.13}$
corresponding to $M_p=1.5^{+0.8}_{-0.3} M_{JUP}$
- lens distance: $D_L=2.3\pm 0.6$ kpc
- semi-major axis a between 1 and 5 AU



Perspectives

- adaptive optics telescope time obtained at Keck, VLT and Subaru to measure the lens +source flux: $0.5 M_{\text{sun}}$ lens as bright as source, $0.1 M_{\text{sun}}$ lens produces 0.5 mag additional light
- very sensitive to third body (similar to OGLE 2006-BLG-109Lbc)
- second-order effects degeneracy shows the need of very accurate photometry, probably only obtainable from space (WFIRST, EUCLID)